# All Saints Catholic High School Luceat lux Vestra 

## Subject: Maths

| 10 | Half Term 1 | Half Term 2 | Half Term 3 | Half Term 4 | Half Term 5 | Half Term 6 |
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| Aim of Unit | The main aim of this unit is to get students to have a clear understanding of Similarity. | The main aim of this unit is to have students developing algebra | The main aim of this unit is to give our students a clear understanding of Geometry | The main aim of this unit is for students to become proficient with Proportions and proportional change | The main aim of this unit is for students to delve into data. | The main aim of this students is to deepen their understanding of using number |
| Composite Knowledge <br> (a task that requires several building blocks or components) | To be able to recognise and solve problems by applying their knowledge of congruence, similarity and enlargement. <br> To be able to understand, use and apply trigonometry. | To be able to represent solutions of equations and inequalities. <br> To solve simultaneous equations | To be able to recognise angles and bearings, circles and vectors. | To be able to apply their knowledge of ratio and fractions. <br> To use percentages and interest relating to real life situations where possible. <br> To solve problems with probability. | To be able to collect, represent and interpret data | To be able to use noncalculator methods. <br> To use different types of number and recognise, use and develop sequences. <br> To use indices and roots |
| Componen t <br> Knowledge <br> (the building <br> blocks that <br> together, when | To be able understand the difference between congruence and similarity. <br> To enlarge a shape about a given point, | To form and solve equations and inequalities in a variety of contexts, including with unknowns on both sides | To be able to review KS3 angle rules and to understand and use bearings | To be able to use ratio's, including mixed units. <br> To be able to write fractions from ratio's and fractions in ratios. | To understand sampling including the possible limitations. <br> To construct and interpret tables and line | To use four operations with integers (positive and negative) decimals and fractions with and without context |



|  |  |  |  | experimental probabilities. <br> To understand and work with mutually exclusive and independent events. <br> To construct and interpret tree diagrams. <br> To find probabilities from frequency trees, tables and Venn diagrams. |  |  |
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| Rationale (why?): <br> Links to prior \& future learning | This unit provides students with access to revisit angle rules, including angles in parallel lines. It also allows the student to revisit equations especially variants of ax=b. Lastly it revisits Pythagoras theorem. <br> This unit builds on area and volume of similar shapes, formal proof of congruency of triangles. Pupils will be introduced to enlargement by a negative scale factor. Using trigonometry in 3D shapes will be developed further. Pupils will be | This unit continues to build on knowledge from KS3 and introduces students to the context for equations to include probability, area, angles, ratio problems etc. <br> It provides students with the higher content of using set notation for solutions, being able to solve inequalities in two variable, identifying regions. It enables student's to solve quadratic equations and inequalities by factorisation only. Students should be | This unit builds on the work covered already in trigonometry. It enables students to revisit area and volumes of other shapes including compound shapes. It develops puipil's mathematical understanding of estimation, rounding and significant figures. <br> For future learning pupil's derive, use and prove first four circle theorems (the rest are covered in y11). It enables them to understand and use the equation of a circle. Pupil's will be able to | This unit continues to develop formal methods of calculation and revisit fraction arithmetic. <br> This unit provides students with the higher content of area and volume ratios. It enables students to use the iterative methods. For future learning pupils can calculate and interpret conditional probabilities. | This unit continues to build on knowledge from KS2 but introduces students to using equations (eg solving problems about the mean) and using non - calculator methods where appropriate. <br> This will be further developed by constructing and interpreting cumulative frequency diagrams, box plots and histograms. It will enable you to understand quartiles, | This unit is to develop students understanding of number. It links to pupil's prior knowledge of converting fractions, decimals and percentages. It enables students to revisit exact trigonometrical values, area and volume formulae, finding exact answers in terms of $\pi$. It involves solving problems involving financial mathematics. <br> This unit develops the higher content of calculating with surds, finding the nth term for a quadratic sequence, |

$\left.\begin{array}{|l|l|l|l|l|l|l|}\hline & \begin{array}{l}\text { introduced to deriving } \\ \text { and using the sine and } \\ \text { cosine rules as well as } \\ \text { using the area formula } \\ 1 / 2 \text { absinC for non-right } \\ \text { angled triangles. }\end{array} & \begin{array}{l}\text { able to solve } \\ \text { simultaneous equations } \\ \text { with one linear and one } \\ \text { quadratic. }\end{array} & \begin{array}{l}\text { construct geometric } \\ \text { proofs with vectors. }\end{array} & & \begin{array}{l}\text { use and interpret the } \\ \text { inter }- \text { quartile range. }\end{array} \\ \text { understanding and } \\ \text { using fractional } \\ \text { indices. It allows work } \\ \text { to take place with } \\ \text { rational and irrational } \\ \text { numbers including } \\ \text { recurring decimals. } \\ \text { Finally it enables you } \\ \text { to work with limits of } \\ \text { accuracy, including } \\ \text { upper and lower } \\ \text { bounds. }\end{array}\right]$

